Supplementary information file C. The original hesitant fuzzy linguistic preference relation matrix R_h , the expected 2-tuple linguistic preference relation E_{Rh} , and the additive consistent linguistic preference relation C_{Rh} of respondent $h(h=1,2,\cdots,30)$.

$$R_1 = \begin{pmatrix} (s_0(100)) & (s_2(100)) & (s_2(10$$

$$R2 = \begin{pmatrix} \{s_0(1.00)\} & \{s_3(0.57), s_4(0.43)\} & \{s_3(0.57), s_4(0.43)\} & \{s_3(0.50), s_4(0.50)\} & \{s_4(1.00)\} & \{s_4(1.00)\} & \{s_4(0.43), s_2(0.57)\} & \{s_3(0.50), s_2(0.50)\} & \{s_4(0.43), s_3(0.57)\} & \{s_4(0.44), s_4(0.43)\} & \{s_4(0.43), s_4(0.4$$

$$E_{R2} = \begin{pmatrix} (s_0,0) & (s_3,0.43) & (s_4,-0.50) & (s_4,0) & (s_2,-0.43) & (s_{-3},0.50) & (s_4,0) \\ (s_{-3},-0.43) & (s_0,0) & (s_{-3},0.22) & (s_4,0) & (s_{-3},-0.43) & (s_{-3},0) & (s_{-3},-0.43) \\ (s_{-4},0.50) & (s_3,-0.22) & (s_0,0) & (s_0,0) & (s_2,0) & (s_{-1},0) & (s_{-1},0) \\ (s_4,0) & (s_4,0) & (s_0,0) & (s_0,0) & (s_3,-0.22) & (s_2,0) & (s_2,0.22) \\ (s_{-2},0.43) & (s_3,0.43) & (s_{-2},0) & (s_{-3},0.22) & (s_0,0) & (s_{-3},0) & (s_{-2},0) \\ (s_3,-0.50) & (s_3,0) & (s_1,0) & (s_{-2},0) & (s_3,0) & (s_0,0) & (s_0,0) \\ (s_4,0) & (s_3,0.43) & (s_1,0) & (s_{-2},-0.22) & (s_2,0) & (s_0,0) & (s_0,0) \\ (s_{-3},0.42) & (s_0,0) & (s_{-3},0.24) & (s_{-2},-0.23) & (s_1,-0.15) & (s_{-1},-0.36) & (s_{-1},-0.46) \\ (s_{-3},0.42) & (s_0,0) & (s_{-3},0.24) & (s_{-4},0) & (s_{-2},0.27) & (s_{-4},0.06) & (s_{-4},0) \\ (s_0,0.18) & (s_3,-0.24) & (s_0,0) & (s_{-2},-0.25) & (s_1,0.03) & (s_{-1},-0.17) & (s_{-1},-0.28) \\ (s_2,0.43) & (s_4,0) & (s_2,0.25) & (s_0,0) & (s_3,0.27) & (s_1,0.07) & (s_1,-0.03) \\ (s_{-1},0.15) & (s_2,-0.27) & (s_{-1},-0.03) & (s_{-3},-0.27) & (s_0,0) & (s_{-2},-0.20) & (s_{-2},-0.30) \\ (s_1,0.36) & (s_4,-0.06) & (s_1,0.17) & (s_{-1},-0.07) & (s_2,0.20) & (s_0,0) & (s_0,0.10) \\ (s_1,0.46) & (s_4,0) & (s_1,0.28) & (s_{-1},0.03) & (s_2,0.30) & (s_0,0.10) & (s_0,0) \end{pmatrix}$$

$$R^{3} = \begin{pmatrix} \{s_{0}(1.00)\} & \{s_{2}(0.30), s_{3}(0.40), s_{4}(0.30)\} & \{s_{2}(0.30), s_{3}(0.40), s_{4}(0.43)\} & \{s_{4}(1.00)\} & \{s_{2}(1.00)\} & \{s_{2}(1.00)\}$$

$$C_{R3} = \begin{pmatrix} (s_0,0) & (s_3,-0.30) & (s_1,-0.44) & (s_2,-0.09) & (s_4,0) & (s_1,0.28) & (s_1,0.49) \\ (s_{-3},0.30) & (s_0,0) & (s_{-2},-0.14) & (s_{-1},0.20) & (s_2,0.29) & (s_{-1},-0.43) & (s_{-1},-0.21) \\ (s_{-1},0.44) & (s_2,0.14) & (s_0,0) & (s_1,0.35) & (s_4,0) & (s_1,-0.29) & (s_1,-0.07) \\ (s_{-2},0.09) & (s_1,-0.20) & (s_{-1},-0.35) & (s_0,0) & (s_3,0.08) & (s_{-1},0.37) & (s_0,-0.42) \\ (s_{-4},0) & (s_{-2},-0.29) & (s_{-4},0) & (s_{-3},-0.08) & (s_0,0) & (s_{-4},0.29) & (s_{-4},0.50) \\ (s_{-1},-0.28) & (s_1,0.43) & (s_{-1},0.29) & (s_1,-0.37) & (s_4,-0.29) & (s_0,0) & (s_0,0.21) \\ (s_{-1},-0.49) & (s_1,0.21) & (s_{-1},0.07) & (s_0,0.42) & (s_4,-0.50) & (s_0,-0.21) & (s_0,0) \end{pmatrix}$$

$$R_{1} = \begin{pmatrix} (c_{i_{1}}(100)) & (c_{i_{1}}(000))c_{i_{2}}(030)c_{i_{3}}(010) & (c_{i_{4}}(022)c_{i_{2}}(030)c_{i_{4}}(040)) & (c_{i_{4}}(020)c_{i_{3}}(030)c_{i_{4}}(040)) & (c_{i_{4}}(020)c_{i_{4}}(030)c_{i_{4}}(040)) & (c_{i_{4}}(020)c_{i_{4}}(030)c_{i_{4}}(040)) & (c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(040)) & (c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(040)) & (c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(040)) & (c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(040)) & (c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(040)c_{i_{4}}(040)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(030)c_{i_{4}}(040)c_{i_{4}}(040)c_{i_{4}}(040)c_{i_{4}}(030)c_{i_{4}}(040)c_{i_{4}$$

$${\it R}_5 = \begin{pmatrix} \{s_0(1.00)\} & \{$$

$$\boldsymbol{E}_{Rs} = \begin{pmatrix} (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_0,0) & (s_3,-0.22) & (s_3,-0.22) & (s_3,-0.22) & (s_3,-0.22) & (s_3,-0.22) \\ (s_0,0) & (s_{-3},0.22) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_3,-0.22) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_{-3},0.22) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_{-3},0.22) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_{-3},0.22) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) \end{pmatrix}$$

$$C_{R5} = \begin{pmatrix} (s_0,0) & (s_{-1},-0.19) & (s_0,0.40) & (s_0,-0.40) & (s_0,0.40) & (s_0,0.40) & (s_0,0.40) \\ (s_1,0.19) & (s_0,0) & (s_2,-0.41) & (s_1,-0.21) & (s_2,-0.41) & (s_2,-0.41) & (s_2,-0.41) \\ (s_0,-0.40) & (s_{-2},0.41) & (s_0,0) & (s_{-1},0.21) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,-0.40) & (s_{-1},0.21) & (s_0,0) & (s_1,-0.21) & (s_1,-0.21) & (s_1,-0.21) \\ (s_0,-0.40) & (s_{-2},0.41) & (s_0,0) & (s_{-1},0.21) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,-0.40) & (s_{-2},0.41) & (s_0,0) & (s_{-1},0.21) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,-0.40) & (s_{-2},0.41) & (s_0,0) & (s_{-1},0.21) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_0,-0.40) & (s_{-2},0.41) & (s_0,0) & (s_{-1},0.21) & (s_0,0) & (s_0,0) & (s_0,0) \end{pmatrix}$$

$$R_{0} = \begin{pmatrix} b_{0}(100) & b_{1}(000) & b_{2}(100) & b_{2}(100) & b_{2}(100) & b_{2}(000) & b_{2}$$

$$R_7 = \begin{pmatrix} (s_0(100) & (s_2(007), s_1(000)) & (s_2(100)) & (s_1(100)) & (s_1(100)) & (s_1(100)) & (s_1(100)) & (s_2(100)) & (s_2(100))$$

$$R_{8} = \begin{pmatrix} (s_{0}(00)) & (s_{1}(005)s_{1}(005)) & (s_{1}(000)) & (s_{2}(005)s_{2}(005)) & (s_{1}(000)) & (s_{$$

$$\boldsymbol{E}_{R_9} = \begin{pmatrix} (s_0,0) & (s_0,0) & (s_0,0) & (s_{-3},0.50) & (s_{-3},0.22) & (s_{-3},-0.43) & (s_0,0) \\ (s_0,0) & (s_0,0) & (s_{-3},0.22) & (s_0,0) & (s_0,0) & (s_{-3},-0.43) & (s_{-3},-0.43) \\ (s_0,0) & (s_3,-0.22) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) \\ (s_3,-0.50) & (s_0,0) & (s_0,0) & (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) \\ (s_3,-0.22) & (s_0,0) & (s_0,0) & (s_{-3},-0.43) & (s_0,0) & (s_{-3},-0.43) \\ (s_3,0.43) & (s_3,0.43) & (s_0,0) & (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) & (s_3,0.43) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0)$$

$$C_{R_9} = \begin{pmatrix} (s_0,0) & (s_0,0.13) & (s_{-2},0.36) & (s_{-2},-0.09) & (s_0,-0.17) & (s_{-3},0.29) & (s_{-2},-0.22) \\ (s_0,-0.13) & (s_0,0) & (s_{-2},0.23) & (s_{-2},-0.22) & (s_0,-0.30) & (s_{-3},0.15) & (s_{-2},-0.36) \\ (s_2,-0.36) & (s_2,-0.23) & (s_0,0) & (s_0,-0.45) & (s_1,0.47) & (s_{-1},-0.07) & (s_{-1},0.42) \\ (s_2,0.09) & (s_2,0.22) & (s_0,0.45) & (s_0,0) & (s_2,-0.08) & (s_{-1},0.38) & (s_0,-0.13) \\ (s_0,0.17) & (s_0,0.30) & (s_{-1},-0.47) & (s_{-2},0.08) & (s_0,0) & (s_{-3},0.46) & (s_{-2},-0.05) \\ (s_3,-0.29) & (s_3,-0.15) & (s_1,0.07) & (s_1,-0.38) & (s_3,-0.46) & (s_0,0) & (s_0,0.49) \\ (s_2,0.22) & (s_2,0.36) & (s_1,-0.42) & (s_0,0.13) & (s_2,0.05) & (s_0,-0.49) & (s_0,0) \end{pmatrix}$$

$$R_{10} = \begin{pmatrix} i_{s_0}(100) & i_{s_0}(100) & i_{s_1}(100) & i_{s_1}(100) & i_{s_1}(100) & i_{s_1}(100) & i_{s_0}(100) & i_{s_0}$$

$$R_{11} = \begin{pmatrix} \{s_{0}(1.00)\} & \{s_{0}(1.00)\} &$$

$$C_{R11} = \begin{pmatrix} (s_0,0) & (s_{-1},0.43) & (s_{-1},0.43) & (s_{-1},0.14) & (s_{-1},0.14) & (s_{-4},0.43) & (s_{-1},0.43) \\ (s_1,-0.43) & (s_0,0) & (s_0,0) & (s_0,-0.29) & (s_0,-0.29) & (s_{-3},0) & (s_0,0) \\ (s_1,-0.43) & (s_0,0) & (s_0,0) & (s_0,-0.29) & (s_0,-0.29) & (s_{-3},0) & (s_0,0) \\ (s_1,-0.14) & (s_0,0.29) & (s_0,0.29) & (s_0,0) & (s_0,0) & (s_{-3},0.29) & (s_0,0.29) \\ (s_1,-0.14) & (s_0,0.29) & (s_0,0.29) & (s_0,0) & (s_0,0) & (s_{-3},0.29) & (s_0,0.29) \\ (s_4,-0.43) & (s_3,0) & (s_3,0) & (s_3,-0.29) & (s_3,-0.29) & (s_0,0) & (s_3,0) \\ (s_1,-0.43) & (s_0,0) & (s_0,0) & (s_0,-0.29) & (s_0,-0.29) & (s_0,0) & (s_0,0) \end{pmatrix}$$

$$R_{12} = \begin{pmatrix} \{s_{0}(1.00)\} & \{s_{4}(1.00)\} &$$

$$\textbf{\textit{Cr}}_{12} = \begin{pmatrix} (s_0,0) & (s_3,0.29) & (s_4,-0.43) & (s_4,0) & (s_4,0) & (s_4,0) & (s_4,0) \\ (s_{-3},-0.29) & (s_0,0) & (s_0,0.29) & (s_1,0.43) & (s_1,-0.29) & (s_1,0) & (s_1,-0.14) \\ (s_{-4},0.43) & (s_0,-0.29) & (s_0,0) & (s_1,0.14) & (s_0,0.43) & (s_1,-0.29) & (s_1,-0.43) \\ (s_{-4},0) & (s_{-1},-0.43) & (s_{-1},-0.14) & (s_0,0) & (s_{-1},0.29) & (s_0,-0.43) & (s_{-1},0.43) \\ (s_{-4},0) & (s_{-1},0.29) & (s_0,-0.43) & (s_1,-0.29) & (s_0,0) & (s_0,0.29) & (s_0,0.14) \\ (s_{-4},0) & (s_{-1},0.14) & (s_{-1},0.29) & (s_0,0.43) & (s_0,-0.29) & (s_0,0) & (s_0,-0.14) \\ (s_{-4},0) & (s_{-1},0.14) & (s_{-1},0.43) & (s_1,-0.43) & (s_0,-0.14) & (s_0,0.14) & (s_0,0) \end{pmatrix}$$

$$R_{13} = \begin{pmatrix} (s_{0}(100)) & (s_{2}(100)) & (s_{3}(030), s_{3}(040), s_{3}(030)) & (s_{3}(100)) & (s_{2}(037), s_{3}(040)) & (s_{2}(037), s_{3}(040)) \\ (s_{2}(100)) & (s_{2}(100)) & (s_{3}(100)) & (s_{3}(100)) & (s_{3}(100)) & (s_{3}(100)) & (s_{4}(100)) & (s_{4}(100)) \\ (s_{1}(030), s_{2}(040), s_{3}(030)) & (s_{1}(100)) & (s_{0}(100)) & (s_{0}(100)) & (s_{1}(100)) & (s_{1}(100)) & (s_{2}(100)) & (s_{1}(100)) & (s_{1}(100$$

$$R_{14} = \begin{pmatrix} (s_0(100)) & (s_2(044), s_3(033), s_4(022)) & (s_0(100)) & (s_2(100)) & (s_2(044), s_3(033), s_4(022)) & (s_0(100)) & (s_$$

 $(s_0, 0)$

 $(s_0, 0.40)$

 $(s_0, 0)$

$$R_{15} = \begin{pmatrix} (c_{0}, (100)) & (c_{1}, (100)) & (c_{1}, (0.57)c_{1}, (0.63)) & (c_{1}, (0.00)) & (c_{1$$

$$R16 = \begin{cases} \{s_0(1.00)\} & \{s_4(1.00)\} & \{s_4(0.00)\} & \{s_3(0.57), s_4(0.43)\} & \{s_4(0.22), s_3(0.33), s_2(0.44)\} & \{s_4(1.00)\} & \{s_0(1.00)\} & \{s_3(0.57), s_4(0.43)\} & \{s_4(0.00)\} & \{s_$$

$$\boldsymbol{E}_{R_{16}} = \begin{pmatrix} (s_{0},0) & (s_{4},0) & (s_{3},0.43) & (s_{-3},0.22) & (s_{4},0) & (s_{0},0) & (s_{3},0.43) \\ (s_{-4},0) & (s_{0},0) & (s_{-4},0) & (s_{-4},0) & (s_{3},-0.22) & (s_{-4},0) & (s_{-4},0) \\ (s_{-3},-0.43) & (s_{4},0) & (s_{0},0) & (s_{-3},0.22) & (s_{4},0) & (s_{0},0) & (s_{3},0.43) \\ (s_{3},-0.22) & (s_{4},0) & (s_{3},-0.22) & (s_{0},0) & (s_{4},0) & (s_{0},0) & (s_{3},-0.22) \\ (s_{-4},0) & (s_{-3},0.22) & (s_{-4},0) & (s_{-4},0) & (s_{0},0) & (s_{-4},0) & (s_{-3},0.22) \\ (s_{0},0) & (s_{4},0) & (s_{0},0) & (s_{0},0) & (s_{4},0) & (s_{0},0) & (s_{3},-0.22) \\ (s_{-3},-0.43) & (s_{4},0) & (s_{-3},-0.43) & (s_{-3},0.22) & (s_{3},-0.22) & (s_{-3},0.22) & (s_{0},0) \end{pmatrix}$$

$$C_{R_{16}} = \begin{pmatrix} (s_0,0) & (s_4,0) & (s_1,-0.02) & (s_{-1},0.39) & (s_4,0) & (s_0,0.19) & (s_3,-0.47) \\ (s_{-4},0) & (s_0,0) & (s_{-3},-0.21) & (s_{-4},0) & (s_1,-0.38) & (s_{-4},0) & (s_{-2},0.34) \\ (s_{-1},0.02) & (s_3,0.21) & (s_0,0) & (s_{-2},0.41) & (s_4,-0.17) & (s_{-1},0.21) & (s_2,-0.45) \\ (s_1,-0.39) & (s_4,0) & (s_2,-0.41) & (s_0,0) & (s_4,0) & (s_1,-0.21) & (s_3,0.14) \\ (s_{-4},0) & (s_{-1},0.38) & (s_{-4},0.17) & (s_{-4},0) & (s_0,0) & (s_{-4},0) & (s_{-2},-0.27) \\ (s_0,-0.19) & (s_4,0) & (s_1,-0.21) & (s_{-1},0.21) & (s_4,0) & (s_0,0) & (s_2,0.34) \\ (s_{-3},0.47) & (s_2,-0.34) & (s_{-2},0.45) & (s_{-3},-0.14) & (s_2,0.27) & (s_{-2},-0.34) & (s_0,0) \end{pmatrix}$$

$$R_{17} = \begin{pmatrix} \{s_{0}(1.00)\} & \{s_{0}(1.00)\} & \{s_{1}(0.30), s_{2}(0.40), s_{3}(0.30)\} & \{s_{1}(0.40), s_{2}(0.30), s_{3}(0.20), s_{4}(0.10)\} & \{s_{2}(0.44), s_{3}(0.33), s_{4}(0.22)\} & \{s_{0}(1.00)\} & \{s_{0$$

$$\boldsymbol{E}_{R_{17}} = \begin{pmatrix} (s_{0},0) & (s_{0},0) & (s_{2},0) & (s_{2},0) & (s_{3},0.22) & (s_{0},0) & (s_{0},0) \\ (s_{0},0) & (s_{0},0) & (s_{0},0) & (s_{-2},0) & (s_{3},-0.22) & (s_{0},0) & (s_{0},0) \\ (s_{-2},0) & (s_{0},0) & (s_{0},0) & (s_{-2},0) & (s_{2},0) & (s_{0},0) & (s_{0},0) \\ (s_{-2},0) & (s_{2},0) & (s_{2},0) & (s_{0},0) & (s_{3},-0.22) & (s_{0},0) & (s_{0},0) \\ (s_{-3},0.22) & (s_{-3},0.22) & (s_{-2},0) & (s_{-3},0.22) & (s_{0},0) & (s_{-2},0.50) & (s_{-2},0.50) \\ (s_{0},0) & (s_{0},0) & (s_{0},0) & (s_{0},0) & (s_{2},-0.50) & (s_{0},0) & (s_{0},0) \\ (s_{0},0) & (s_{0},0) & (s_{0},0) & (s_{0},0) & (s_{2},-0.50) & (s_{0},0) & (s_{0},0) \end{pmatrix}$$

$$C_{R_{17}} = \begin{pmatrix} (s_0,0) & (s_1,-0.14) & (s_1,0.25) & (s_0,0.29) & (s_3,-0.13) & (s_1,-0.25) & (s_1,-0.25) \\ (s_{-1},0.14) & (s_0,0) & (s_0,0.40) & (s_{-1},0.43) & (s_2,0.02) & (s_0,-0.10) & (s_0,-0.10) \\ (s_{-1},-0.25) & (s_0,-0.40) & (s_0,0) & (s_{-1},0.03) & (s_2,-0.38) & (s_{-1},0.50) & (s_{-1},0.50) \\ (s_0,-0.29) & (s_1,-0.43) & (s_1,-0.03) & (s_0,0) & (s_3,-0.41) & (s_0,0.47) & (s_0,0.47) \\ (s_{-3},0.13) & (s_{-2},-0.02) & (s_{-2},0.38) & (s_{-3},0.41) & (s_0,0) & (s_{-2},-0.12) & (s_{-2},-0.12) \\ (s_{-1},0.25) & (s_0,0.10) & (s_1,-0.50) & (s_0,-0.47) & (s_2,0.12) & (s_0,0) & (s_0,0) \\ (s_{-1},0.25) & (s_0,0.10) & (s_1,-0.50) & (s_0,-0.47) & (s_2,0.12) & (s_0,0) & (s_0,0) \end{pmatrix}$$

$$Ris = \begin{pmatrix} (s_0, 0.00) & (s_1, (0.00)) & (s_2, (0.03)) & (s_2, (0.03)) & (s_2, (0.03)) & (s_1, (0.00)) & (s_2, (0.00)) & (s_2, (0.00)) & (s_1, (0.00)) & (s_2, (0.00)) & (s_2,$$

$$R_{19} = \begin{pmatrix} (s_{0}(100)) & (s_{1}(044)s_{1}(033)s_{1}(022)) & (s_{2}(100)) & (s_{2}(057)s_{1}(043)) & (s_{1}(020)s_{1}(023)s_{1}(023)) & (s_{1}(100)) & (s_{2}(100)) & (s$$

$$R_{20} = \begin{pmatrix} t_{0}(100) & (t_{1}(100)) & (t_{2}(100)) & (t_{2}(10$$

$$R_{21} = \begin{pmatrix} (s_0, (1.00)) & (s_2, (0.90), s_1, (0.90)) & (s_2, (0.43), s_2, (0.97)) & (s_2, (0.43), s_2, (0.43)) & (s_3, (0.57), s_2, (0.43)) & (s_4, (0.43), s_2, (0.57)) & (s_4, (0.43), s_2, (0.57)) & (s_4, (0.43), s_2, (0.43)) & (s_5, (0.57), s_2, (0.43)) & (s_4, (0.43), s_2, (0.57)) & (s_4, (0.43), s_2, (0.57)) & (s_4, (0.43)) & (s_5, (0.57), s_4, (0.43)) & (s_6, (1.00)) & (s_6, (1.0$$

$$R_{22} = \begin{pmatrix} i_{b_1}(100) & i_{b_1}(030)_{b_1} & i_{b_1}(030)_{b_2} & i_{b_2}(030)_{b_2} & i$$

$$R_{23} = \begin{pmatrix} (s_0,(00)) & (s_1,(00)) & (s_1,(043),s_2,(057)) & (s_2,(057),s_1,(043)) & (s_2,(057),s_1,(043)) & (s_1,(00)) & (s_1,(057),s_1,(043)) & (s_1,(043),s_1,(057)) & (s_1,(00)) & (s_1,(00)) & (s_1,(057),s_1,(043)) & (s_1,(043),s_1,(057)) & (s_1,(00)) & (s_1,(00)) & (s_1,(057),s_1,(043)) &$$

$$R_{24} = \begin{pmatrix} (s_0(100)) & (s_1(100)) & (s_1$$

 $\{s_{2}(0.57), s_{4}(0.43)\}$

 $\{s_{1}(0.57), s_{4}(0.43)\}$

 $\{s_{\perp}(1.00)\}$

$$\boldsymbol{E}_{R25} = \begin{pmatrix} (s_0,0) & (s_3,0) & (s_{-1},0) & (s_0,0) & (s_4,0) & (s_0,0) & (s_0,0) \\ (s_{-3},0) & (s_0,0) & (s_1,0) & (s_0,0) & (s_1,0) & (s_{-3},0) & (s_{-3},0) \\ (s_1,0) & (s_{-1},0) & (s_0,0) & (s_0,0) & (s_3,0) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_0,0) & (s_0,0) & (s_0,0) & (s_2,0) & (s_0,0) & (s_0,0) \\ (s_{-4},0) & (s_{-1},0) & (s_{-3},0) & (s_{-2},0) & (s_0,0) & (s_{-3},0) & (s_3,0) \\ (s_0,0) & (s_3,0) & (s_0,0) & (s_0,0) & (s_3,0) & (s_0,0) & (s_0,0) \\ (s_0,0) & (s_3,0) & (s_0,0) & (s_0,0) & (s_{-3},0) & (s_0,0) & (s_0,0) \end{pmatrix}$$

$$C_{R_{25}} = \begin{pmatrix} (s_0,0) & (s_2,-0.14) & (s_0,0.43) & (s_1,-0.43) & (s_2,0.29) & (s_0,0) & (s_1,-0.14) \\ (s_{-2},0.14) & (s_0,0) & (s_{-1},-0.43) & (s_{-1},-0.29) & (s_0,0.43) & (s_{-2},0.14) & (s_{-1},0) \\ (s_0,-0.43) & (s_1,0.43) & (s_0,0) & (s_0,0.14) & (s_2,-0.14) & (s_0,-0.43) & (s_0,0.43) \\ (s_{-1},0.43) & (s_1,0.29) & (s_0,-0.14) & (s_0,0) & (s_2,-0.29) & (s_{-1},0.43) & (s_0,0.29) \\ (s_{-2},-0.29) & (s_0,-0.43) & (s_{-2},0.14) & (s_{-2},0.29) & (s_0,0) & (s_{-2},-0.29) & (s_{-1},-0.43) \\ (s_0,0) & (s_2,-0.14) & (s_0,0.43) & (s_1,-0.43) & (s_2,0.29) & (s_0,0) & (s_1,-0.14) \\ (s_{-1},0.14) & (s_1,0) & (s_0,-0.43) & (s_0,-0.29) & (s_1,0.43) & (s_{-1},0.14) & (s_0,0) \end{pmatrix}$$

$$R_{26} = \begin{pmatrix} (c_{1}(000) & (c_{2}(004), c_{1}(031), c_{2}(022)) & (c_{2}(000) & (c_{2}(022), c_{2}(033), c_{2}(044)) & (c_{2}(023), c_{2}(033), c_{2}(044)) & (c_{2}(033), c_{2}(044)) & (c_{2}(033), c_{2}(033), c_{2}(044)) & (c_{2}(033), c_{2}(033), c_{2}(044)) & (c_{2}(033), c_{2}(033), c_{2}(044)) & (c_{2}(033), c_{2}(033), c_{2}(03$$

$$R_{27} = \begin{pmatrix} (s_0(100)) & (s_1(057)s_1(040)) & (s_0(100)) & (s_1(050)) & (s_1(050)) & (s_1(050)) & (s_1(050)) & (s_1(050)) & (s_1(050)) & (s_2(105)) & (s_2(105)$$

$$R_{28} = \begin{pmatrix} (s_0(.00)) & (s_2(.00)) & (s_1(.043), s_2(.057)) & (s_2(.043), s_2(.057)) & (s_1(.000)) & (s_1(.000)) & (s_2(.007), s_2(.040)) & (s_2(.057), s_2(.043)) & (s_2(.000)) &$$

$$R_{29} = \begin{pmatrix} (s_0,100) & (s_2,004)s_1,033)s_1,0(22) & (s_2,003)s_1,0300) & (s_4,002)s_1,0300) & (s_4,002)s_2,033)s_2,044) & (s_4,002) & (s_4,$$

 $(s_0, 0.49)$

 $(s_0, 0.19)$

 $(s_0, 0.19)$

 $(s_0,0)$

 $(s_3, 0.06)$ $(s_1, -0.06)$

$${\it R}_{30} = \begin{pmatrix} \{s_0(1.00)\} & \{s_0(1.00)\} & \{s_2(0.44), s_3(0.33), s_4(0.22)\} & \{s_1(0.22), s_2(0.33), s_3(0.44)\} & \{s_3(0.57), s_4(0.43)\} & \{s_3(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50), s_2(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50), s_2(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50), s_2(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50), s_2(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50), s_2(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50)\} & \{s_3(0.50), s_2(0.50), s_2(0.50), s_2(0.50)\} & \{s_3(0.50), s_3(0.50)\} & \{s_3(0.50), s_3(0.50)\} & \{s_3(0.50), s_3(0.50)\} & \{s$$

$$\boldsymbol{E}_{R_{30}} = \begin{pmatrix} (s_0,0) & (s_0,0) & (s_3,-0.22) & (s_2,0.22) & (s_3,0.43) & (s_{-3},0.50) & (s_{-3},0.50) \\ (s_0,0) & (s_0,0) & (s_{-3},0.22) & (s_3,-0.22) & (s_0,0) & (s_{-3},0.22) & (s_{-3},0.22) \\ (s_{-3},0.22) & (s_3,-0.22) & (s_0,0) & (s_0,0) & (s_{-2},-0.22) & (s_0,0) & (s_0,0) \\ (s_{-2},-0.22) & (s_{-3},0.22) & (s_0,0) & (s_0,0) & (s_2,0.22) & (s_{-3},0.22) & (s_{-3},0.22) \\ (s_{-3},-0.43) & (s_0,0) & (s_2,0.22) & (s_{-2},-0.22) & (s_0,0) & (s_{-4},0) & (s_{-3},0.22) \\ (s_3,-0.50) & (s_3,-0.22) & (s_0,0) & (s_3,-0.22) & (s_4,0) & (s_0,0) & (s_0,0) \\ (s_3,-0.50) & (s_3,-0.22) & (s_0,0) & (s_3,-0.22) & (s_3,-0.22) & (s_0,0) & (s_0,0) \\ (s_{-1},-0.28) & (s_0,0) & (s_0,-0.48) & (s_0,0.40) & (s_1,-0.34) & (s_{-3},0.48) & (s_{-2},-0.34) \\ (s_{-1},0.19) & (s_0,0.48) & (s_0,0) & (s_1,-0.13) & (s_1,0.14) & (s_{-2},-0.04) & (s_{-2},0.13) \\ (s_{-2},0.32) & (s_0,-0.40) & (s_{-1},0.13) & (s_0,0) & (s_0,0.27) & (s_{-3},0.09) & (s_{-3},0.26) \\ (s_{-2},0.05) & (s_{-1},0.34) & (s_{-1},-0.14) & (s_0,-0.27) & (s_0,0) & (s_{-3},-0.18) & (s_{-3},-0.01) \\ (s_1,0.23) & (s_3,-0.48) & (s_2,0.04) & (s_3,-0.09) & (s_3,0.18) & (s_0,0) & (s_0,0.17) \\ (s_1,0.06) & (s_2,0.34) & (s_2,-0.13) & (s_3,-0.26) & (s_3,0.01) & (s_0,-0.17) & (s_0,0) \\ \end{cases}$$